

Quantifying transmission dynamics of acute hepatitis C virus infections in a heterogeneous population using sequence data

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Abstract

Opioid substitution and syringes exchange programs have drastically reduced hepatitis C virus (HCV) spread in France but HCV sexual transmission in men having sex with men (MSM) has recently arisen as a significant public health concern. The fact that the virus is transmitting in a heterogeneous population, with ‘new’ and ‘classical’ hosts, makes prevalence and incidence rates poorly informative. However, additional insights can be gained by analyzing virus phylogenies inferred from dated genetic sequence data. ~~Here, using~~ By combining a phylodynamics approach based on Approximate Bayesian Computation (ABC) and an original transmission model, we estimate key epidemiological parameters of an ongoing HCV epidemic ~~in MSM among MSMs~~ in Lyon (France). We show that this new epidemics epidemic is largely independent ~~from of~~ the ‘classical’ HCV epidemics and that its doubling time is ~~one order of magnitude lower (55.6 days ten times lower (0.44 years versus 511 days 4.37 years))~~. These results have practical implications for HCV control and illustrate the additional information provided by virus genomics in public health.

Background

It is estimated that 71 million people worldwide suffer from chronic hepatitis C virus (HCV) infections [1,2]. The World Health Organisation (WHO) and several countries have issued recommendations towards the ‘elimination’ of this virus, which they define as an 80% reduction in new chronic infections and a 65% decline in liver mortality by 2030 [2]. HIV-HCV coinfecting patients are targeted with priority because of the shared transmission routes between the two viruses [3] and because of the increased virulence of HCV in coinfections [4–6]. Successful harm reduction interventions, such as needle-syringe exchange and opiate substitution programs, as well as a high level of enrolment into care ~~of programs for~~ HIV-infected patients, have led to a drastic drop in the prevalence of active HCV infections in HIV-HCV coinfecting patients in several European countries during the recent years [7–10]. Unfortunately, this elimination goal is challenged by the emergence of HCV sexual transmission, especially among men having sex with men (MSM). This trend is reported to be driven by unprotected sex, drug use in the context of sex (‘chemsex’), and potentially traumatic practices such as fisting [11–13]. ~~In~~ The epidemiology of HCV infection in the Dat’AIDS cohort has been extensively described from 2000 to 2016 [14–16]. The incidence of acute HCV infection has been estimated among HIV-infected MSM between 2012 and 2016, among HIV-negative MSM enrolled in PrEP between in 2016-2017 [13] and among HIV-infected and HIV-negative MSMs from 2014 to 2017 [17]. In the area of Lyon (France), HCV incidence has been shown to increase concomitantly with a shift in the profile of infected hosts [17]. Understanding and quantifying this recent increase is the main goal of this study.

Several ~~modeling~~ modelling studies have highlighted the difficulty to control the spread of HCV infections in HIV-infected ~~MSM-MSMs~~ in the absence of harm reduction interventions [12, 18]. Furthermore, we recently described the spread of HCV from HIV-infected to HIV-negative ~~MSM-MSMs~~, using HIV pre-exposure prophylaxis (PrEP) or not, through shared high-risk practices [17]. More generally, an alarming incidence of acute HCV infections in both HIV-infected and PrEP-using ~~MSM-MSMs~~ was reported in France in 2016-2017 [13]. Additionally, while PrEP-using ~~MSM-MSMs~~ are regularly screened for HCV, those who are HIV-negative and do not use PrEP may remain undiagnosed and untreated for years. In general, we know little about the population size and practices of HIV-negative MSM who do not use PrEP. All these epidemiological events could jeopardize the goal of HCV elimination by creating a large pool of infected and undiagnosed patients, which could fuel new infections in intersecting populations. Furthermore, the epidemiological dynamics of HCV infection have mostly been studied in intravenous drug users (IDU) [19–22] and ~~in~~ the general population [23,24]. Results from these populations are not easily transferable to other populations, which calls for a better understanding of the epidemiological characteristics of HCV sexual transmission in MSM.

Given the lack of knowledge about the focal population driving the increase in HCV incidence, we analyse virus sequence data with phylodynamics methods. This research field has been blooming over the last decade and hypothesizes that the way rapidly evolving viruses spread leaves ‘footprints’ in their genomes [25–27]. By combining mathematical modelling, statistical analyses and phylogenies of infections, where each leaf corresponds to the virus sequence isolated from a patient, current

methods can infer key parameters of viral epidemics. This framework has been successfully applied to other HCV epidemics [28–31], but the ongoing one in Lyon is challenging to analyze because the focal population is heterogeneous, with ‘classical’ hosts (typically HIV-negative patients infected through nosocomial transmission or with a history of opioid intravenous drug use or blood transfusion) and ‘new’ hosts (both HIV-infected and HIV-negative MSM, detected during or shortly after acute HCV infection phase, potentially using recreational drugs such as cocaine or cathinones), where host profiles have been established by field epidemiologists based on interviews and risk factors. Our phylodynamics analysis relies on an Approximate Bayesian Computation (ABC, [32]) framework that was recently developed and validated using a simple Susceptible-Infected-Recovered (SIR) model [33].

Assuming an epidemiological transmission model with two host types, ‘classical’ and ‘new’ (see the Methods), we use dated virus sequences to estimate the date of onset of the HCV epidemics in ‘classical’ and ‘new’ hosts, the level of mixing between hosts types, and, for each host type, the duration of the infectious period and the effective reproduction ratio (i.e. the number of secondary infections, [34]). To validate our results we performed a parametric bootstrap analysis, we tested the sensitivity of the method to differences in sampling proportions between the two types of hosts. We also tested the sensitivity of the method to phylogenetic reconstruction uncertainty, and we performed a cross-validation analysis to explore the robustness of our inference framework. We find that the doubling time of the epidemics is one order of magnitude lower in ‘new’ than in ‘classical’ hosts, therefore emphasising the urgent need for public health action.

Results

The phylogeny inferred from the dated virus sequences shows that ‘new’ hosts (in red) tend to be grouped in clades (Figure 1). This pattern suggests a high degree of assortativity in the epidemics (i.e. hosts tends to infect hosts from the same type). The ABC phylodynamics approach allows us to go beyond a visual description and to quantify several epidemiological parameters.

~~Phylogeny of HCV infections in the area of Lyon (France). ‘Classical’ hosts are in blue and ‘new’ hosts are in red. Sampling events correspond to the end of black branches. The phylogeny was estimated using maximum-likelihood methods (PhyML) and then rooted in time using Bayesian inference (Beast2). See the Methods for additional details.~~

As for any Bayesian inference method, we need to assume a prior distribution for each parameter. These priors, shown in grey in Figure 2, are voluntarily designed to be large and uniformly distributed ~~so as~~ to be as little informative as possible. One exception is the date of onset of the epidemics, for which we use ~~as a prior~~ the output of the phylogenetic analysis conducted in Beast (see the Methods) as a prior. We also assume the date of the ‘new’ hosts epidemics to be ~~posterior to~~ after 1997 based on epidemiological data.

The inference method converges towards posterior distributions for each parameter, which are shown in red in Figure 2. The estimate for the origin of the epidemic in ‘classical’ hosts is ~~$t_0 = 1977$~~ $t_0 = 1957.47$ [1966; 1981] [1948.61; 1961.96] (numbers in brackets indicate the 95% Highest Posterior Density, or HPD). For the ‘new’ host type, we ~~estimate the epidemic to have started in~~

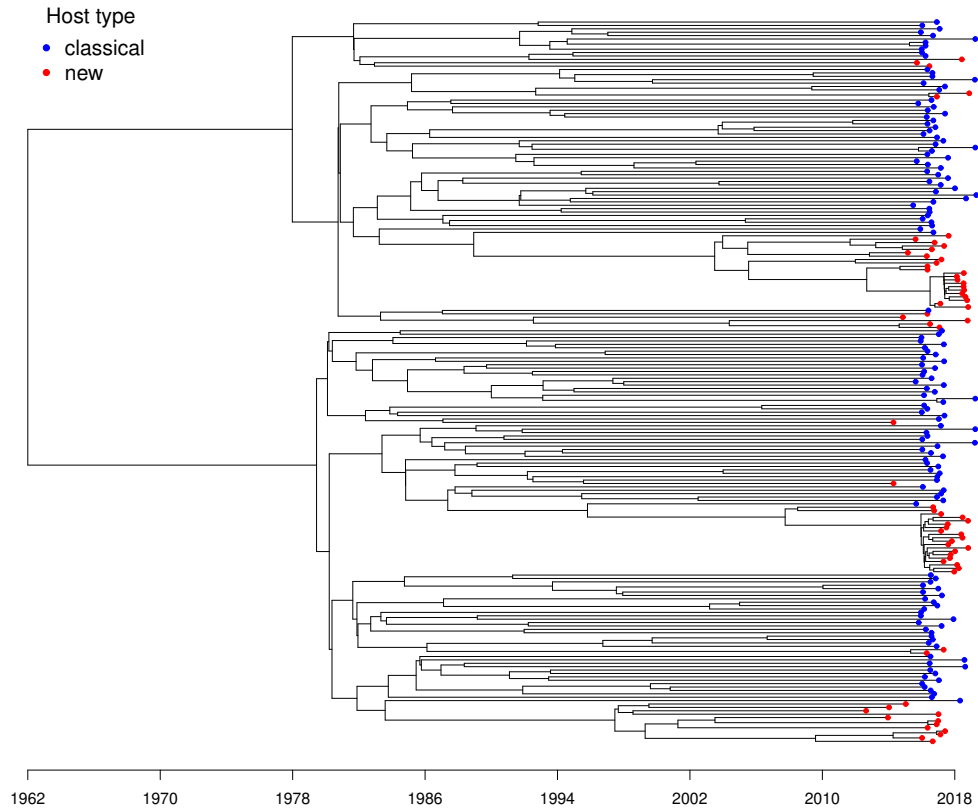


Fig 1. Phylogeny of HCV infections in the area of Lyon (France). ‘Classical’ hosts are in blue and ‘new’ hosts are in red. Sampling events correspond to the end of black branches. The phylogeny was estimated using Bayesian inference (Beast2). See the Methods for additional details.

$t_2 = 2003$ [2000; 2005] were not able to estimate when the epidemic (t_2) has started.

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We find the level of assortativity between host types to be high for ‘classical’ ($a_1 = 0.97$ [0.91; 0.99]) $a_1 = 0.94$ [0.83; 1.0] as well as for ‘new’ hosts ($a_2 = 0.88$ [0.70; 0.99]) $a_2 = 0.92$ [0.81; 0.99]). Therefore, hosts mainly infect hosts from the same type and this effect seems even more pronounced for ‘classical’ hosts.

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The phylodynamics approach also allows us to infer the duration of the infectious period for each host type. Assuming that this parameter does not vary over time, we estimate it to be 1.2 years [0.40; 7.69] 3.85 years [1.09; 8.33] for ‘classical’ hosts (parameter $1/\gamma_1$) and 0.4 years [0.25; 0.78] 0.45 years [0.30; 0.77] for ‘new’ hosts (parameter $1/\gamma_2$). We compute the ratio of γ_2/γ_1 and the 95% credibility interval does exclude 1.

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Regarding effective reproduction numbers, i.e. the number of secondary infections caused by a given host over its infectious period, we estimate that of ‘classical’ hosts to have decreased from $R_0^{(1),t_1} = 3.29$ [1.2; 6.63] to $R_0^{(1),t_2} = 1.47$ [0.37; 2.67] $R^{(1),t_1} = 1.96$ [1.45; 3.29] to $R^{(1),t_2} = 1.61$ [1.05; 2.08]

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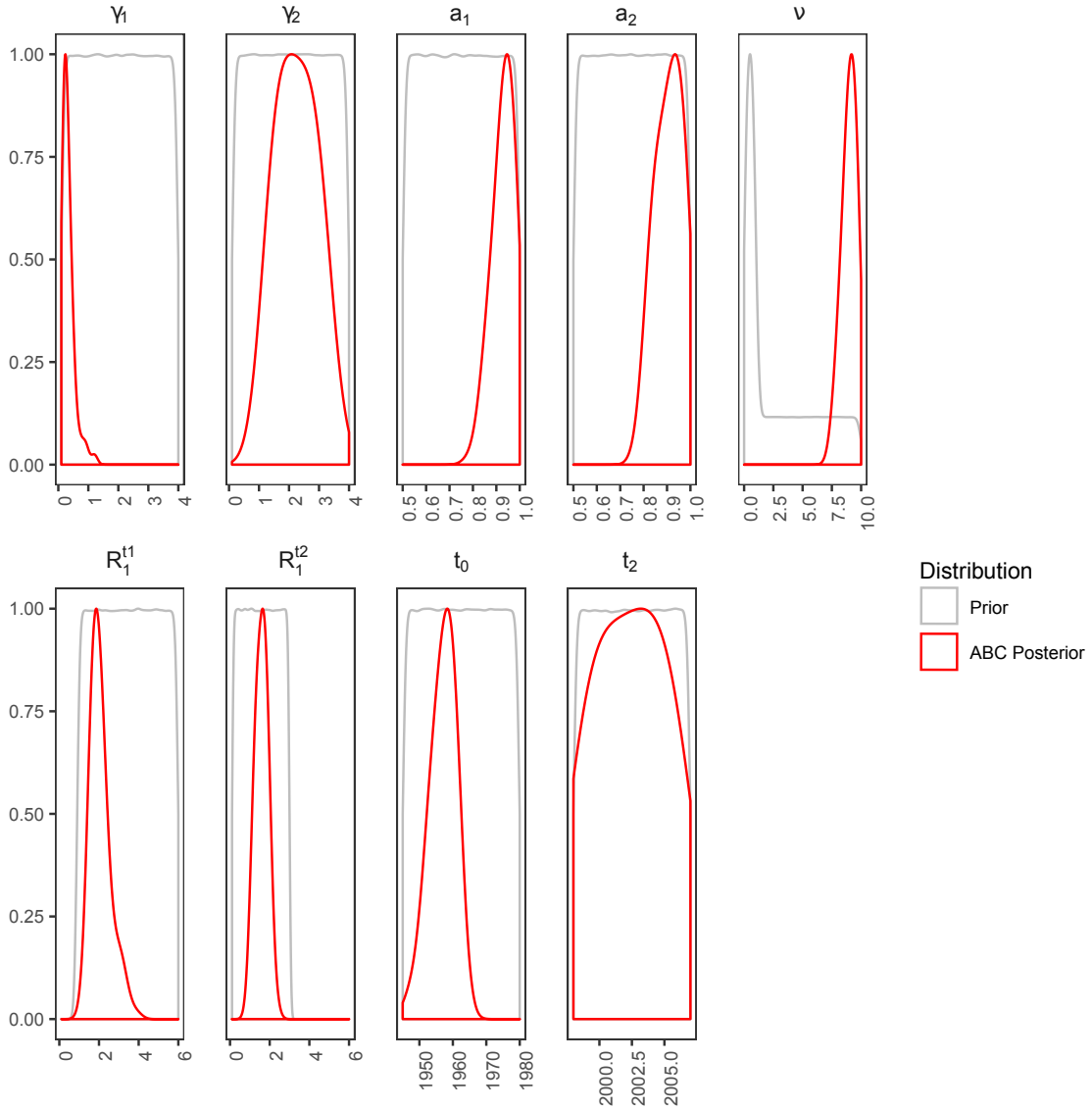


Fig 2. Parameter prior and posterior distributions. Prior distributions are in grey and posterior distributions inferred by ABC are in red. The thinner the posterior distribution width, the more accurate the inference. Posterior distributions are truncated based on the prior distribution.

after the introduction of the third-generation-third-generation HCV test in 1997. The inference on the differential transmission parameter indicates that HCV transmission rate is $\nu = 7.97 [6.01; 9.90]$ $\nu = 9.0 [7.7; 9.9]$ times greater from ‘new’ hosts than from ‘classical’ hosts. By combining these results (see the Methods), we estimate-compute the effective reproduction number in ‘new’ hosts to be $R_0^{(2),t_3} = 2.9 [0.81; 6.26]$ and find $R^{(2),t_3} = 1.73 [1.03; 4.32]$. We compute the ratio of the $R(t)$ of ‘new’ hosts over the $R(t)$ of ‘classical’ hosts after 1997 and, the median value is 1.14 and the 95% credibility interval is $[0.56; 3.25]$.

To better apprehend-understand the differences between the two host types, we compute the epidemic doubling time (t_D), which is the time for an infected population to double in size. t_D is

computed for each type of host, assuming complete assortativity (see the Methods). We find that for the ‘classical’ hosts, before 1997 $t_D^{(1),t1} \approx 8$ months $([0.1; 2.63])$ $t_D^{(1),t1} \approx 2.8$ years $([1.1; 5.0])$ years). After 1997, the pace decreases with a doubling time of $t_D^{(1),t2} \approx 1.75$ years $([0; 28.55])$ $t_D^{(1),t2} \approx 4.4$ years $([2.0; 20.8])$ years). For the epidemics in the ‘new’ hosts, we estimate that $t_D^{(2),t3} \approx 51$ days $([0; 2.73])$ $t_D^{(2),t3} \approx 0.44$ years $([0.09; 8.84])$ years). When computing the ratio of the doubling times of classical hosts after 1997 over the doubling times of the new hosts ($t_D^{(1),t2}/t_D^{(2),t3}$) to estimate the current difference we find that $t_D^{(1),t2}$ is 10 times higher than $t_D^{(2),t3}$ with a 95% credibility interval of $[0.62; 14.99]$. However, the 75% credibility interval does exclude 1 and is $[3.39; 25.61]$. Distributions for these three doubling times are shown in Supplementary Figure S2.

Supplementary Figure S3 shows the correlations between parameters based on the posterior distributions. We mainly find that the R_0 - R_t in ‘classical’ hosts after the introduction of the third generation of HCV detection tests (i.e. $R_0^{(1),t2}$ - $R_t^{(1),t2}$) is negatively correlated to ν and positively correlated to γ_2 . In other words, if the epidemic spreads rapidly in ‘classical’ hosts, it requires a slower spread in ‘new’ hosts to explain the phylogeny. $R_0^{(1),t2}$ is also slightly negatively correlated to γ_1 , which probably-most likely comes from the fact that for a given R_0 , epidemics with a longer infection duration have a lower doubling time and therefore a weaker epidemiological impact. Overall, these correlations do not affect our main results, especially the pronounced difference in infection periods (γ_1 and γ_2).

To validate these results, we perform a parametric bootstrap analysis performed a goodness-of-fit by simulating phylogenies using the resulting posterior distributions to determine whether these are similar to the target dataset (see the Methods). In Figure ??3, we see that the target data in red, i.e. the projection of the observed summary statistics from the phylogeny shown in Figure 1, lies in the middle of the phylogenies simulated using the posterior data is contained in the envelope containing 90% of the simulations drawn from the posterior distributions. If we use the 95% HPD of the posterior but assume a uniform distribution instead of the true posterior distribution, we find that the target phylogeny lies outside the cloud of simulations (see Figure ??) is not contained in the envelope. These results confirm that the posterior distributions we infer are highly informative.

To further explore the robustness of our inference method, we use simulated data to perform a ‘leave one out’ cross-validation (see the Methods). As shown in Supplementary Figure S5, the mean relative error made for each parameter inference is limited and comparable to what is was found using a simpler SIR model [33]. Two exceptions are the rate at which One exception is for the ‘new’ hosts clear the infection (γ_2) and their level of assortativity (a_2). This is likely a consequence of our choice of summary statistics, which is optimised to analyse a phylogeny with a high degree of assortativity (high values of a_1 and a_2). due to the poor signal given the small size of the observed phylogeny.

A potential issue is that the sampling rate of ‘new’ hosts may be higher than that of ‘classical’ hosts. To explore the effect of such sampling biases on the accuracy of our results, we sub-sampled the ‘new’ hosts population by pruning the target phylogeny, i.e. randomly removing 50% of the ‘new’ hosts’ tips. In Supplementary Figure S5 we show the posterior distributions estimated by our ABC method using the different pruned phylogenies. We find that although the confidence intervals are wider, the posterior distributions are all similar with the posterior distributions estimated using

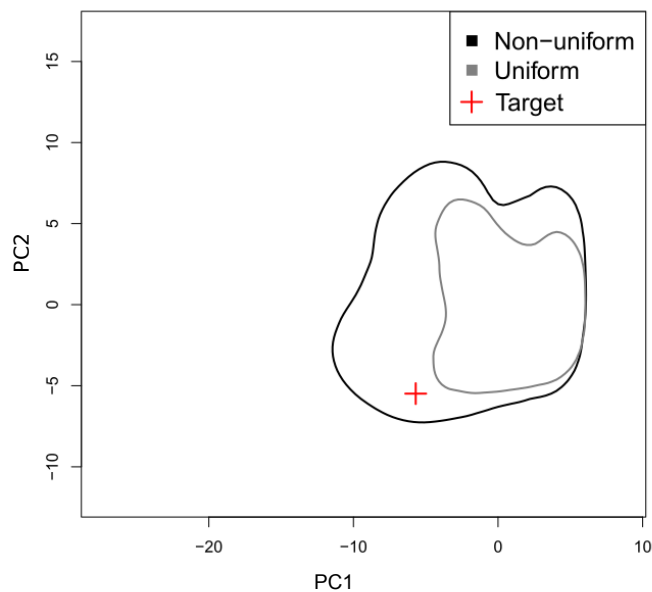


Fig 3. Parameter Goodness-of-fit estimated using parameter bootstrap illustration. Principal Component Analysis (PCA) graphs where each dot represents a vector of summary statistics. The graph displays envelopes containing 90% of a dataset the 10,000 simulations for each distribution. The 5,000 simulated data are in grey, and the target data is envelope in red. Panel (a) shows the PCA graph using black results from the HPD posterior distribution. Panel (b) shows, in grey, results from the PCA graph using a uniform distribution drawn from the 95% HPD distribution. The target data is represented by a red cross. Axes units are based on the outcome of principal component analysis using the simulated summary statistics.

the target phylogeny. Finally, to evaluate the impact of phylogenetic reconstruction uncertainty, we perform a supplementary analysis using 10 analysed 100 additional trees from the Beast posterior distribution. In Supplementary figure S6S6, we show that the posterior distributions estimated by estimates from our ABC method are qualitatively similar with for all these trees.

Discussion

Over the last years, the area of Lyon (France) witnessed an increase in HCV incidence both in HIV-positive and HIV-negative populations of men having sex with men (MSM) [17]. This increase appears to be driven by sexual transmission and echoes similar trends in Amsterdam [35] and in Switzerland [36]. A quantitative analysis of the epidemic is necessary to optimise public health interventions. Unfortunately, this is challenging because the monitoring of the population at risk is limited and because classical tools in quantitative epidemiology, especially incidence time series, are poorly informative with such a heterogeneous population. To circumvent this problem, we used HCV sequence data, which we analysed using phylodynamics. In order to To account for

host heterogeneity, we extended and validated an existing Approximate Bayesian Computation framework [33].

From a public health point of view, our results have two major implications. First, we find a strong degree of assortativity in both ‘classical’ and ‘new’ host populations. The virus phylogeny does hint at this result (Figure 1) but the ABC approach allows us to quantify the pattern and to show that assortativity may be higher for ‘classical’ hosts. The second main result has to do with the striking difference in doubling times. Indeed, the current spread of the epidemics in ‘new’ hosts appears to be ~~at least comparable to~~ five times more rapid than the spread in the ‘classical’ hosts in the early 1990s before the advent of the third generation tests ~~in 1997, and ten times more rapid than the spread in the ‘new’ hosts after 1997.~~ That the duration of the infectious period in ‘new’ hosts is in the same order of magnitude as the time until treatment suggests that the majority of the transmission events may be occurring during the acute phase. This underlines the necessity to act rapidly upon detection, for instance by emphasising the importance of protection measures such as condom use and by initiating treatment even during the acute phase [37]. A better understanding of the underlying contact networks could provide additional information regarding the structure of the epidemics and, with that respect, ~~next-generation sequence~~ next-generation sequence (NGS) data could be particularly informative [38–40].

Some potential limitations of the study are related to the sampling scheme, the assessment of the host type, and the transmission model. Regarding the sampling, the proportion of infected ‘new’ host that ~~are~~ is sampled is unknown but could be high. For the ‘classical’ hosts, we selected a representative subset of the patients detected in the area but this sampling is likely to be low. However, the effect of underestimating sampling for the new epidemics would be to underestimate its spread, which is already faster than the classical epidemics. When running the analyses on different phylogenies with half of the ‘new’ hosts sequences, we find results similar to those obtained with the whole phylogeny, suggesting that our ABC framework is partly robust to sampling biases. In general, implementing a more realistic sampling scheme in the model would be possible but it would require a more detailed model and more data to avoid identifiability issues. Regarding ~~assignment of~~ assigning hosts to one of the two types, this was performed by clinicians independently of the sequence data. The main criterion used was the infection stage (acute or chronic), which was complemented by other epidemiological criteria (history of intravenous drug use, blood transfusion, HIV status). Finally, the ‘classical’ and the ‘new’ epidemics appear to be spreading on contact networks with different structures. However, such differences are beyond the level of details of the birth-death model we use here ~~and~~ and would require a larger dataset for them to be inferred.

~~In order to~~ To test whether the infection stage (acute vs. chronic) can explain the data better than the existence of two host types, we developed an alternative model where all infected hosts first go through an acute phase before recovering or progressing to the chronic phase. As for the model with two host types, we used ~~3~~ three time intervals. Supplementary Figure S8 shows the diagram of the model as well as the corresponding equations. Interestingly, it was almost impossible to simulate phylogenies with this model, most likely because of its intrinsic constraints on assortativity (both acute and chronic infections always generate new acute infections).

To our knowledge, few attempts have been made in phylodynamics to tackle the issue of host

population heterogeneity. In 2018, a study used the structured coalescent model to investigate the importance of accounting for so-called ‘superspreaders’ in the recent ~~ebola-Ebola~~ epidemics in West Africa [41]. The same year, another study used the birth-death model to study the effect of drug resistance mutations on the R_0 of HIV strains [42]. Both of these are implemented in Beast2. ~~However, the~~ Although the multi-type birth-death model is unlikely to be directly applicable to ~~our HCV epidemics~~ this HCV epidemic because it links the two epidemics via mutation (a host of type A becomes a host of type B), whereas ~~in our case the linking here the links~~ is done via transmission events (a host of type A infects a host of type B), we ran an analysis using the BEAST 2 package bdmm with our data. We were unable to conclude anything from this analysis which rises the limitation of the likelihood-based approach for this dataset.

Overall, we show that our ABC approach, which we validated for simple ~~epidemiological models~~ such as Susceptible-Infected-Recovered SIR epidemiological models [33], can be applied to more elaborate models that current phylodynamics methods have difficulties to capture. Further increasing the level of details in the model may require to increase the number of simulations but also to introduce new summary statistics. Another promising perspective would be to combine sequence and incidence data. Although this could not be done here due to the limited sampling, such data integration can readily be done with regression-ABC.

Material and methods

Epidemiological data

The Dat’AIDS cohort is a collaborative network of 23 French HIV treatment ~~centers-centres~~ covering approximately 25% of HIV-infected patients followed in France (Clinicaltrials.gov ref NCT02898987). ~~The epidemiology of HCV infection in the cohort has been extensively described from 2000 to 2016 [14–16]. The incidence of acute HCV infection has been estimated among HIV-infected MSM between 2012 and 2016, among HIV-negative MSM enrolled in PrEP between in 2016-2017 [13] and among HIV-infected and HIV-negative MSMs from 2014 to 2017 [17].~~ ~~[SA: A réécrire pour ne citer que les données de séquences que nous utilisons (voire un autre article)]~~ Host profiles have been established by field epidemiologists based on interviews and risk factors.

HCV sequence data

We included HCV molecular sequences of all MSM patients diagnosed with acute HCV genotype 1a infection at the Infectious Disease Department of the Hospices Civils de Lyon, France, and for whom NS5B sequencing was performed between January 2014 and December 2017 ($N = 68$). HCV genotype 1a isolated from $N = 145$ non-MSM, HIV-negative, male patients of similar age were analysed by NS5B sequencing at the same time for phylogenetic analysis. This study was conducted ~~in accordance with~~ following French ethics regulations. All patients gave their written informed consent to allow the use of their personal clinical data. The study was approved by the Ethics Committee of Hospices Civils de Lyon.

HCV testing and sequencing

HCV RNA was detected and quantified using the Abbott RealTime HCV assay (Abbott Molecular, Rungis, France). The NS5B fragment of HCV was amplified between nucleotides 8256 and 8644 by RT-PCR as previously described and sequenced using the Sanger method. Electrophoresis and data collection were performed on a GenomeLab™ GeXP Genetic Analyzer (Beckman Coulter). Consensus sequences were assembled and analysed using the GenomeLab™ sequence analysis software. The genotype of each sample was determined by comparing its sequence with HCV reference sequences obtained from GenBank.

Nucleotide accession numbers

All HCV NS5B sequences isolated in MSM and non-MSM patients reported in this study were submitted to the GenBank database. The list of Genbank accession numbers for all sequences is provided in Appendix.

Dated viral phylogeny

To infer the time-scaled viral phylogeny from the alignment we used a Bayesian Skyline model in [BEAST-BEAST v2.4.8-5.2](#) [43]. The general [time-reversible time-reversible](#) (GTR) nucleotide substitution model was used with a strict clock rate fixed at $10^{-3} \cdot 1.3 \cdot 10^{-3}$ based on data from Ref. [44] and a gamma distribution with four substitution rate categories. The MCMC was run for 100 million iterations and samples were saved every 5100,000 iterations. We selected the maximum clade credibility using [FreeAnnotator-BEAST2-TreeAnnotator BEAST2](#) package. The date of the last common ancestor was estimated to be [1977.67-1961.95](#) with a 95% Highest Posterior Density (HPD) of [\[1960.475; 1995.957\]](#)[\[1941.846; 1975.516\]](#).

Epidemiological model and simulations

We assume a Birth-Death model with two hosts types (Supplementary Figure S1) with ‘classical’ hosts (numbered 1) and new hosts (numbered 2). This model is described by the following system of ordinary differential equations (ODEs):

$$\frac{dI_1}{dt} = a_1\beta I_1 + (1 - a_2)\nu\beta I_2 - \gamma_1 I_1 \quad (1a)$$

$$\frac{dI_2}{dt} = a_2\beta\nu I_2 + (1 - a_1)\beta I_1 - \gamma_2 I_2 \quad (1b)$$

In the model, transmission events are possible within each type of hosts and between the two types of hosts at a transmission rate β . Parameter ν corresponds to the transmission rate differential between classical and new hosts. Individuals can be ‘removed’ at a rate γ_1 from an infectious compartment (I_1 or I_2) via infection clearance, host death or change in host behaviour (e.g. condom use). The assortativity between host types, which can be seen as the percentage of transmissions that occur with hosts from the same type, is captured by parameter a_i .

Table 1. Prior distributions for the birth-death model parameters over the three time intervals. t_0 is the date of origin of the epidemics in the studied area, t_1 is the date of introduction of 3rd generation HCV tests, t_2 is the date of emergence of the epidemic in ‘new’ hosts and t_f - t_3 is the time of the most recent sampled sequence.

Interval	γ_i	ν	$R_0^{(1)}-R_t^{(1)}$	a_i
$[t_0, t_1]$	Unif(0.1, 4)	0	Unif(0.9, 15) - Unif(0.9, 6)	Unif(0, 1) - Unif(0.5, 1)
$[t_1, t_2]$			Unif(0.1, 3)	
$[t_2, t_3]$		Unif(0, 10) - Unif(0, 1) & Unif(1, 10)		

The effective reproduction number (denoted $R_0 R_t$) is the number of secondary cases caused by an infectious individual in a fully susceptible host population [34]. We seek to infer the $R_0 R_t$ from the classical epidemic, denoted $R_0^{(1)} R_t^{(1)}$ and defined by $R_0^{(1)} = \beta/\gamma_1 R^{(1)} = \beta/\gamma_1$, as well as the $R_0 R_t$ of the new epidemic, denoted $R_0^{(2)} R_t^{(2)}$ and defined by $R_0^{(2)} = \nu\beta/\gamma_2 = \nu R_0^{(1)} \gamma_1/\gamma_2 R^{(2)} = \nu\beta/\gamma_2 = \nu R^{(1)} \gamma_1/\gamma_2$.

The doubling time of an ~~epidemics~~-epidemic (t_D) corresponds to the time required for the number of infected hosts to double in size. It is usually estimated in the early stage of an ~~epidemics~~, epidemic when epidemic growth can assumed to be exponential. To calculate it, we assume perfect assortativity ($a_1 = a_2 = 1$) and approximate the initial exponential growth rate by $\beta - \gamma_1$ for ‘classical’ hosts and $\nu\beta - \gamma_2$ for ‘new’ hosts. Following [45], we obtain $t_D^{(1)} = \ln(2)/(\beta - \gamma_1)$ and $t_D^{(2)} = \ln(2)/(\nu\beta - \gamma_2)$.

We consider three time intervals. During the first interval $[t_0, t_1]$, t_0 being the year of the origin of the epidemic in the area of Lyon, we assume that only classical hosts are present. The second interval $[t_1, t_2]$, begins in $t_1 = 1997.3$ with the introduction of the third generation HCV tests, which we assume to have affected $R_0^{(1)} R_t^{(1)}$ through the decrease of the transmission rate β . Finally, the ‘new’ hosts appear during the last interval $[t_2, t_f][t_2, t_3]$, where t_2 , which we infer, is the date of origin of the second outbreak. The final time ($t_f t_3$) is set by the most recent sampling date in our dataset (2018.39). The prior distributions used are summarized in Table 1 and shown in Figure 2. Given the phylogeny structure suggesting a high degree of assortativity, we assume the assortativity parameters, a_1 and a_2 , to be higher than 50%. For the prior distribution of parameter ν , we combined a uniform distribution from 0 to 1 with a uniform distribution from 1 to 10. This was done to ensure that the probability to have $\nu < 1$ is equal to the probability to have $\nu > 1$.

To simulate phylogenies, we use ~~a simulator~~-our TiPS simulator [46] implemented in R via the Rcpp package. This is done in a two-step procedure. First, epidemiological trajectories are simulated using the compartmental model in equation 1 and Gillespie’s stochastic event-driven simulation algorithm [47]. The number of individuals in each compartment and the reactions occurring through the simulations of trajectories, such as recovery or transmission events, are recorded. Using the target phylogeny, we know when sampling events occur. For each simulation, each sampling date is randomly associated to a host compartment using the observed fraction of each infection type (here 68% of the dates associated with ‘classical’ hosts type and 32% with ‘new’ hosts). Once the sampling dates are added to the trajectories, we move to the second step, which involves simulating the

phylogeny. This step starts from the last sampling date and follows the epidemiological trajectory through a coalescent process, that is ~~backward-in-time~~[backwards-in-time](#). Each backward step in the trajectory can induce a tree modification [given a probability and the population size](#): a sampling event leads to a labelled leaf in the phylogeny, a transmission event can lead to the coalescence of two sampled lineages or to no modification of the phylogeny (if one of the lineages is not sampled).

We implicitly assume that the sampling rate is low, which is consistent with the limited number of sequences in the dataset. We also assume that the virus can still be transmitted after sampling.

We simulate ~~71,000~~[60,000](#) phylogenies from known parameter sets drawn in the prior distributions shown in Table 1. These are used to perform the rejection step and build the regression model in the Approximate Bayesian Computation (ABC) inference.

ABC inference

Summary statistics

Phylogenies are rich objects and to compare them we break them into summary statistics. These are chosen to capture the epidemiological information of interest. In particular, following an earlier study, we use summary statistics from branch lengths, tree topology, and lineage-through-time (LTT) [33], [and summary statistics based on the Laplacian spectrum using the spectR function of the RPANDA R package](#) [48].

We also compute new summary statistics to extract information regarding the heterogeneity of the population, the assortativity, and the difference between the two R_0 's. To do so, we annotate each internal node by associating it with a probability to be in a particular state (here the host type, 'classical' or 'new'). We assume that this probability is given by the ratio

$$P(Y) = \frac{\text{number of leaves labelled } Y}{\text{number of descendent leaves}} \frac{\text{number of descendent leaves labelled } Y}{\text{number of descendent leaves}} \quad (2)$$

where Y is a state (or host type). Each node is therefore annotated with n ratios, n being the number of possible states. Since in our case $n = 2$, we only follow one of the labels and use the mean and the variance of the distribution of the ratios (one for each node) as summary statistics.

In a phylogeny, cherries are pairs of leaves that are adjacent to a common ancestor. There are $n(n + 1)/2$ categories of cherries. Here, we compute the proportion of homogeneous cherries for each label and the proportion of heterogeneous cherries. We also consider pitchforks, which we define as a cherry and a leaf adjacent to a common ancestor, and introduce three categories: homogeneous pitchforks, pitchforks whose cherries are homogeneous for a label and whose leaf is labelled with another trait, and pitchforks whose cherries are heterogeneous.

The Lineage-Through-Time (LTT) plot displays the number of lineages of a phylogeny over time. In this plot, the number of lineages is incremented by one every time there is a new branch in the phylogeny and is decreased by one every time there is a new leaf in the phylogeny. We use the ratios defined for each internal node to build ~~a LTT~~[an LTT plot](#) for each label type, which we refer to as 'LTT label plot'. After each branching event in phylogeny, we increment the number of lineages by the value of the ratio of the internal node for the given label. This number of lineages is

decreased by one every time there is a leaf in the phylogeny. In the end, we obtain $n = 2$ LTT label plots.

Finally, for each label, we compute some of our branch lengths summary statistics on homogeneous clades and heterogeneous clades present in the phylogeny. Homogeneous clades are defined by their root having a ratio of 1 for one type of label and their size being greater than N_{\min} . For heterogeneous clades, we keep the size criterion and impose that the ratio is smaller than 1 but greater than a threshold ϵ . After preliminary analyses, we set $N_{\min} = 4$ leaves and $\epsilon = 0.7$. We ~~therefore then~~ obtain a set of homogeneous clades and a set of heterogeneous clades, the branch lengths of which we pool into two sets to compute the summary statistics of heterogeneous and homogeneous clades. Note that we always select the largest clade, for both homogeneous and heterogeneous cases, to avoid redundancy.

Regression-ABC

We first measure multicollinearity between summary statistics using variance inflation factors (VIF). Each summary statistic is kept if its VIF value is lower than 10. This stepwise VIF test leads to the selection of ~~88–101~~ summary statistics out of ~~234–330~~.

We then use the ~~abc abc~~ function from the ~~abc R package abc R package~~ [49] to infer posterior distributions generated using only the rejection step. Finally, we perform linear adjustment using an elastic net regression.

The ~~abc abc~~ function performs a classical one-step rejection algorithm [32] using a tolerance parameter P_δ , which represents a percentile of the simulations that are close to the target. To compute the distance between a simulation and the target, we use the Euclidian distance between normalized simulated ~~vector-vectors~~ of summary statistics and the normalized target vector.

~~Prior to Before~~ linear adjustment, the ~~abc~~ function performs smooth weighting using an Epanechnikov kernel [32]. Then, using the ~~glmnet package in R glmnet package in R~~, we implement an elastic-net (EN) adjustment, which balances the Ridge and the LASSO regression penalties [50]. ~~The EN performing Since the EN performs~~ a linear regression, it is not subject to the risk of over-fitting that may occur for non-linear regressions (e.g. when using neural networks, support vector machines or random forests).

In the end, we obtain posterior distributions for $t_0, t_2, a_1, a_2, \nu, \gamma_1, \gamma_2, R_0^{(1),t_1}$ and $R_0^{(1),t_2}$ ~~$R^{(1),t_1}$ and $R^{(1),t_2}$~~ using our ABC-EN regression model with ~~$P_\delta = 0.1$ $P_\delta = 0.05$~~ .

Parametric bootstrap and ~~cross-validation~~ cross-validation

Our ~~parametric bootstrap goodness-of-fit~~ validation consists in simulating ~~5,000–10,000~~ additional phylogenies from parameter sets drawn in posterior distributions. We then compute summary statistics and perform a goodness of fit using the gfitpca function from the abc R package [49]. The function performs principal component analysis (PCA) ~~on the vectors of summary statistics for the simulated and for the target data~~ using the simulated summary statistics. It displays envelopes containing a given percentage, here 90%, of the simulations. The projection of the observed summary statistics is displayed to check if they are contained or not in the envelopes. If the

posterior distribution is informative, we expect the target data to be ~~similar to the simulated phylogenies. On the contrary, if the posterior distribution can generate phylogenies with a variety of shapes, the target data can be outside the cloud of simulated phylogenies in the PCA~~ contained in the envelope. This analysis was performed either on the posterior distribution, or on a uniform distribution based on the 95% HPD posterior distribution of each parameter, the latter being less informative.

~~In order to~~ To assess the robustness of our ABC-EN method to infer epidemiological parameters of our BD model, we also perform a ‘leave-one-out’ cross-validation as in [33]. This consists in inferring posterior distributions of the parameters from one simulated phylogeny, assumed to be the target phylogeny, using the ABC-EN method with the remaining ~~60,999~~ 59,999 simulated phylogenies. We run the cross-validation 100 times with 100 different target phylogenies. We consider three parameter distributions θ : the prior distribution, the prior distribution reduced by the feasibility of the simulations and the ABC inferred posterior distribution. For each of these parameter distributions, we measure the median and compute, for each simulation scenario, the mean relative error (MRE) such as:

$$MRE = \frac{1}{100} \sum_{i=1}^{100} \left| \frac{\theta_i}{\Theta} - 1 \right| \quad (3)$$

where Θ is the true value.

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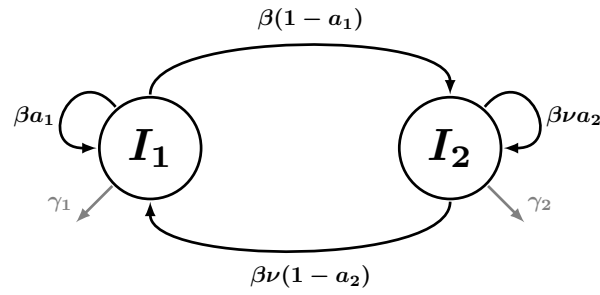


Fig S1. Diagram of the birth-death model with host heterogeneity. The intensity of the colour is proportional to the correlation coefficients.

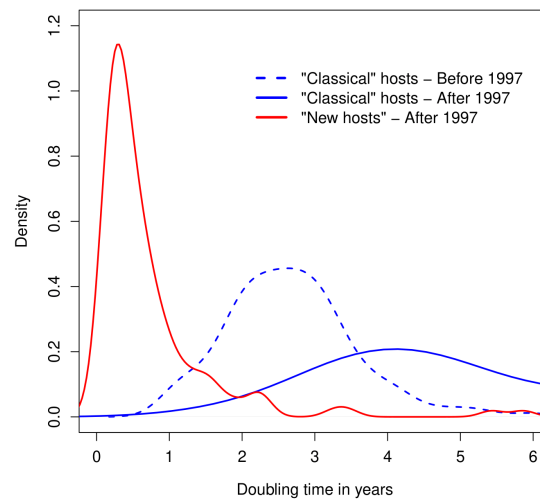


Fig S2. Densities of the inferred doubling times. The density of the doubling time for the 'classical' hosts before 1997 is in blue dashed line, and after 1997 in blue solid line. The density of the doubling time for the 'new' hosts is in red. $(t_D^{(2)}, t_3)$.

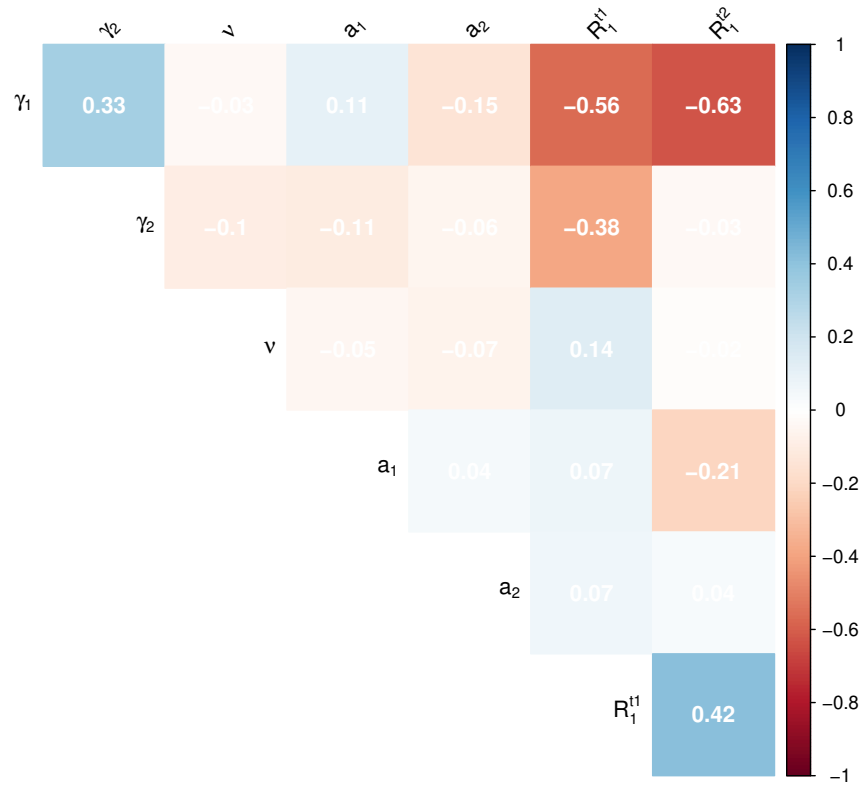


Fig S3. Correlation heat map between the posterior distributions for the model parameters. The intensity of the colour is proportional to the correlation coefficients.

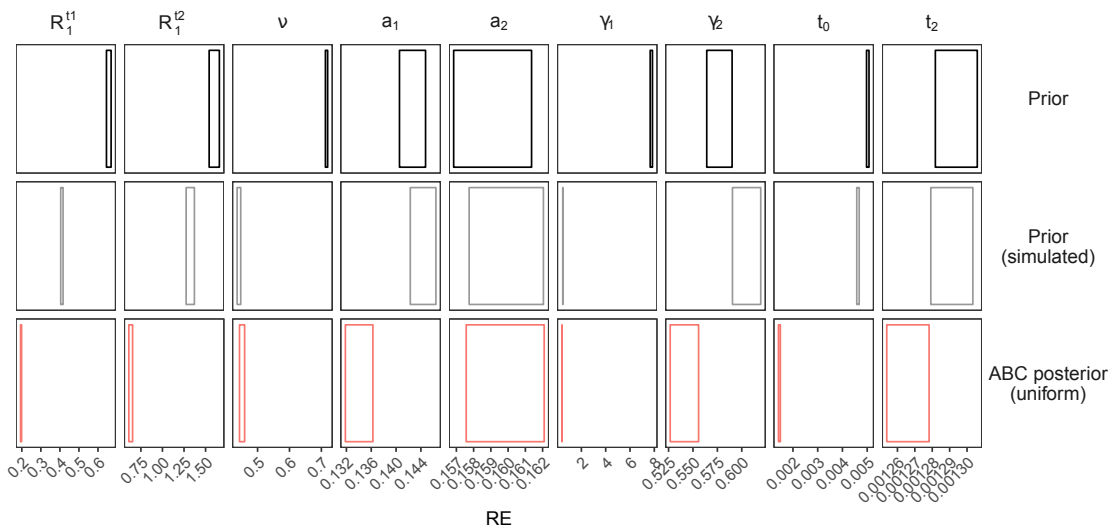


Fig S4. Cross-validation results. Each column corresponds to one of the inferred parameters. The first line shows the prior distribution. The second line shows the distribution of values for which a phylogeny could be simulated. The third line shows the inference after then ABC. For the rejection step of the ABC, the tolerance level was set to $P_\delta = 0.05$. The rectangles show the mean relative errors and their standard errors computed for 100 target sets with known values (see the Methods).

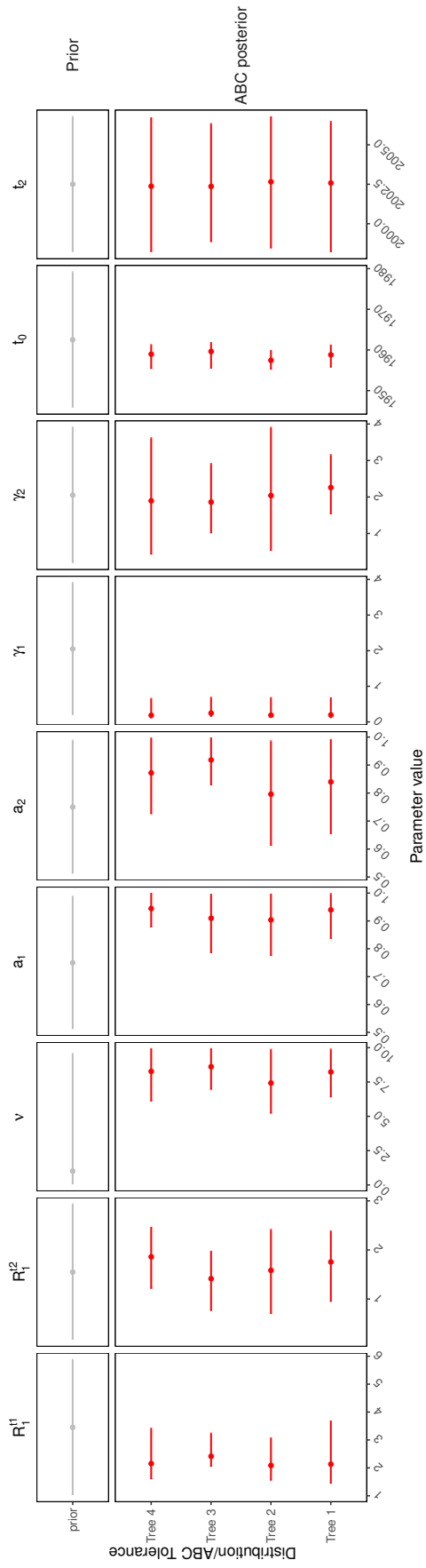


Fig S5. Posterior distributions estimated from different phylogenies inferred using half of the 'new' hosts' sequences. The first line represents the prior (in grey), the last line the full target tree (in red), and all the intermediate lines phylogenies where half of the 'new' host sequences were removed at random.

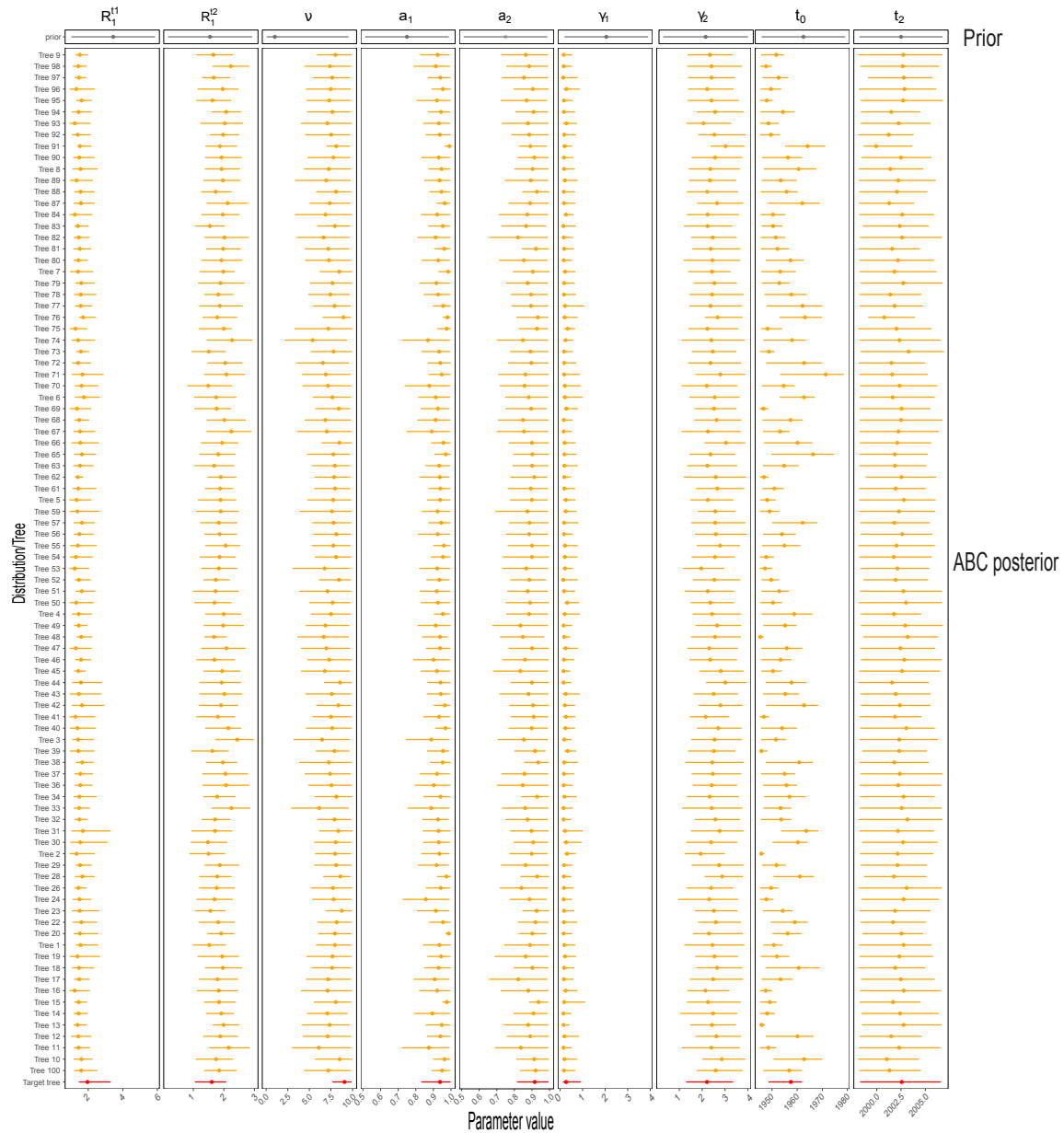


Fig S6. Variation in posterior distribution estimated from different inferred phylogenies. The dots represent the median and the horizontal lines represent the 95% highest posterior density (HPD) of each distribution. Grey distributions correspond to the prior, orange distributions correspond to the different posterior distributions computed from 100 phylogenies drawn at random in the posterior distribution of trees inferred by Beast2 and red distributions correspond to the ABC-EN posterior distributions.

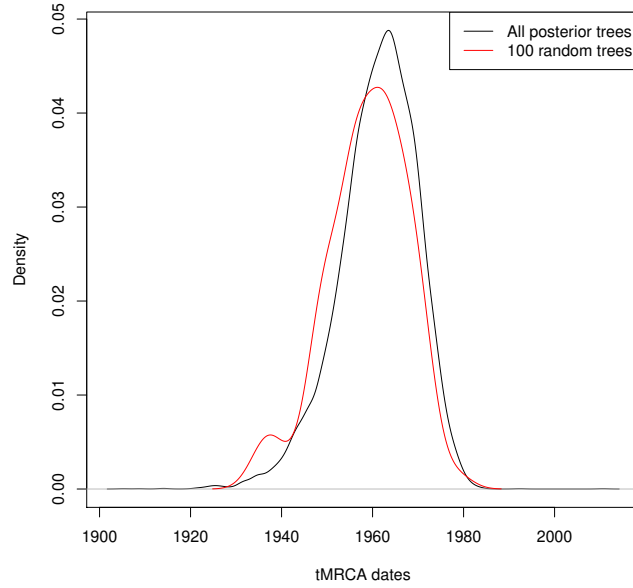


Fig S7. Density distributions of the t_{MRCA} for the observed Beast2 phylogeny (in black) and for the 100 phylogenies drawn at random in the posterior distributions of trees inferred by Beast2 (in red).

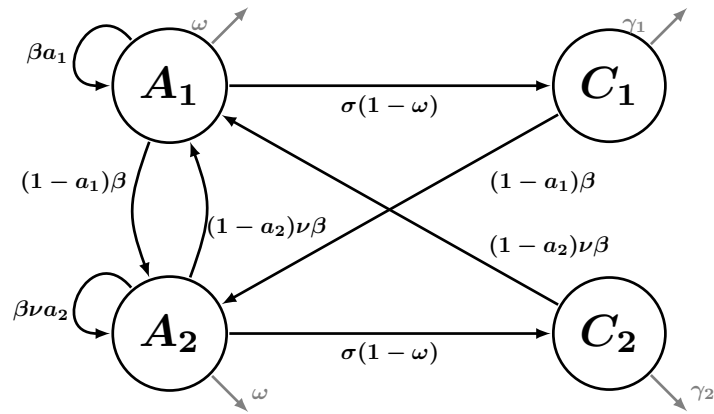


Fig S8. Diagram of the alternative model where all infected hosts first go through an acute phase (A_i) before recovering or progressing to the chronic phase (C_i). ω is the proportion of infections that clear before becoming chronic, σ is the rate at which acute infections become chronic, and other parameters are identical to those in the main text. The equations governing the dynamics of the system can be written as $\frac{dA_i}{dt} = a_i \beta_i (A_i + C_i) + (1 - a_i) \beta_j (A_i + C_i) - \sigma A_i$ and $\frac{dC_i}{dt} = \sigma(1 - \omega) A_i - \gamma_i C_i$ with $i \neq j$. $\beta_1 = \beta$ and $\beta_2 = \nu \beta$.